

**BERTHA TOME**  
**Ciudad Universitaria**

*Strongly simply connected coil algebras (25-30)*

(Contributed talk authors: Flavio U. Coelho, Departamento de Matematica-IME, Universidade de Sao Paulo; Maria Izabel R. Martins, Departamento de Matematica-IME, Universidade de Sao Paulo; Bertha Tome, Departamento de Matematicas, Facultad de Ciencias, U.N.A.M.)

Let  $k$  be an algebraically closed field and  $A = kQ/I$ , where  $kQ$  is the path algebra of a connected finite quiver  $Q$  with no oriented cycle, and  $I$  is an admissible ideal of  $kQ$ . Let  $A$  be a coil enlargement of a tame concealed algebra  $C$ . It is known that  $A$  has two full convex subcategories  $A^+$  and  $A^-$  which are, respectively, the maximal branch extension and the maximal branch coextension of  $C$  inside  $A$ , and that  $A$  is tame if and only if  $A^+$  and  $A^-$  are tame (in this case,  $A$  is called a coil algebra). In this talk, we prove that  $A$  is strongly simply connected if and only if  $A^+$  and  $A^-$  are strongly simply connected. We also give several equivalent conditions to the fact that the coil algebra  $A$  is strongly simply connected.