

Fields Institute Workshop Jordan Algebras and Related Fields  
(Sept. 21-24, 2005 at the University of Ottawa — Abstracts)

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*Generically unramified Jordan algebras over commutative rings*

Let  $J$  be a generically algebraic Jordan algebra of degree  $d$  over a commutative ring  $k$ . An element of  $J$  is called *semisimple* if the discriminant of its generic minimum polynomial is invertible, and  $J$  is called *generically unramified* if the discriminant of its generic minimum polynomial vanishes nowhere on the spectrum of  $k$ . An equivalent condition is that  $J$  contain, possibly after a faithfully flat base extension, a semisimple element of degree  $d$ . We discuss the proto-Peirce decomposition with respect to a semisimple element, the relation between separability and unramifiedness of  $J$ , and show that the automorphism group scheme of a separable and generically unramified Jordan algebra is flat.